


| Question |  |  | Answer | Marks | Guidance |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2 | (i) |  | 'if $n$ even then $n^{3}$ even, so $n^{3}+1$ odd' oe <br> $\Leftarrow$ with if $n^{3}+1$ odd then $n^{3}$ even but if $n^{3}$ is even, $n$ is not necessarily an integer or <br> $\Leftrightarrow$ with ' $n$ ' +1 odd then $n^{3}$ even so $n$ even', [assuming $n$ is an integer] | B1 <br> B1 <br> [2] | must mention $n^{3}$ is even or even ${ }^{3}$ is even or even $\times$ even $=$ even <br> or ' $\Leftrightarrow$ with if $n$ is odd, $n^{3}$ is odd, so $n^{3}+1$ is even' <br> if 0 in question, allow SC 1 for $\Leftrightarrow$ or $\Leftarrow$ and attempt at using general odd/even in explanation | 0 for just 'if $n$ is even, $n^{3}+1$ is odd' 0 if just examples of numbers used condone $\leftrightarrow$ instead of $\Leftrightarrow$ etc in both parts <br> must go further than restating the info in the qn; please annotate as SC |
| 2 | (ii) |  | $\begin{aligned} & \text { showing } \Leftarrow \text { is true } \\ & \Leftarrow \text { chosen and showing that } \Rightarrow \text { [and therefore } \\ & \Leftrightarrow] \text { is/ are not true } \end{aligned}$ | B1 <br> B1 <br> [2] | eg when $x>3$, +ve $\times+\mathrm{ve}>0$ <br> stating that true when $x<2$ or giving a counterexample such as 1,0 or a negative number [to show quadratic inequality also true for this number] <br> allow B2 for $\Leftarrow$ and $x>3$ and $x<2$ shown/stated as soln or sketch showing two solns of $x^{2}-5 x+6>0$ | 0 for just example(s) or for simply stating it is true <br> 0 for saying another solution $x>2$ <br> or B1 for this argument with another symbol |


| 3 | (i) $\Leftarrow \mathrm{Q}$ | $\mathbf{1}$ | or $\Leftarrow$ or ' $\mathrm{Q} \Rightarrow \mathrm{P} ’$ | Condone single arrows |
| :--- | :--- | :--- | :--- | :--- |
|  | (ii) none [of the ab | $\mathbf{1}$ |  |  |
| (iii) $\Rightarrow \mathrm{Q}$ | $\mathbf{1}$ | or $\Rightarrow$ |  |  |

$\left.\begin{array}{|l|l|l|l|}\hline 4 & \begin{array}{l}\text { mention of }-5 \text { as a square root of } \\ 25 \text { or }(-5)^{2}=25 \\ -5-5 \neq 0 \text { o.e. } \\ \text { or } x+5=0\end{array} & \text { M1 } & \begin{array}{l}\text { condone }-5^{2}=25 \\ \text { M1 }\end{array} \\ \begin{array}{ll}\text { or, dep on first M1 being obtained, } \\ \text { allow M1 for showing that } 5 \text { is the } \\ \text { only soln of } x-5=0\end{array} \\ \text { allow M2 for } \\ x^{2}-25=0 \\ (x+5)(x-5)[=0] \\ \text { so } x-5=0 \text { or } x+5=0\end{array}\right]$

| $\mathbf{5}$ | (i) T <br> (ii) <br> (iii) <br> (iv) F | 3 | 3 for all correct, 2 for 3 correct. 1 for 2 <br> correct | 3 |
| :--- | :--- | :--- | :--- | :--- |


| $\mathbf{6}$ | 'If $2 n$ is an even integer, then $n$ is an <br> odd integer' <br> showing wrong eg 'if $n$ is an even <br> integer, $2 n$ is an even integer' | 1 | or: $2 n$ an even integer $\Rightarrow n$ an odd integer |
| :--- | :--- | :--- | :--- | :--- |
| or counterexample eg $n=2$ and $2 n=4$ seen |  |  |  |
| [in either order] |  |  |  |$\quad 2$| 2 |
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| 7 | (i) $\Leftarrow \mathrm{Q}$ | 1 | condone omission of P and Q |  |
| :--- | :--- | :--- | :--- | :--- |
|  | (ii) $\Leftrightarrow \mathrm{Q}$ | 1 |  | 2 |

